

# **Actuarial Analysis of Key Figures from EIOPA**

Consultation Paper on Methodology on Value for Money Benchmarks

- Presentation of Master Thesis
- Theresia Deiß, Alexander Kling











Agenda

#### **Previous Publications and Context**

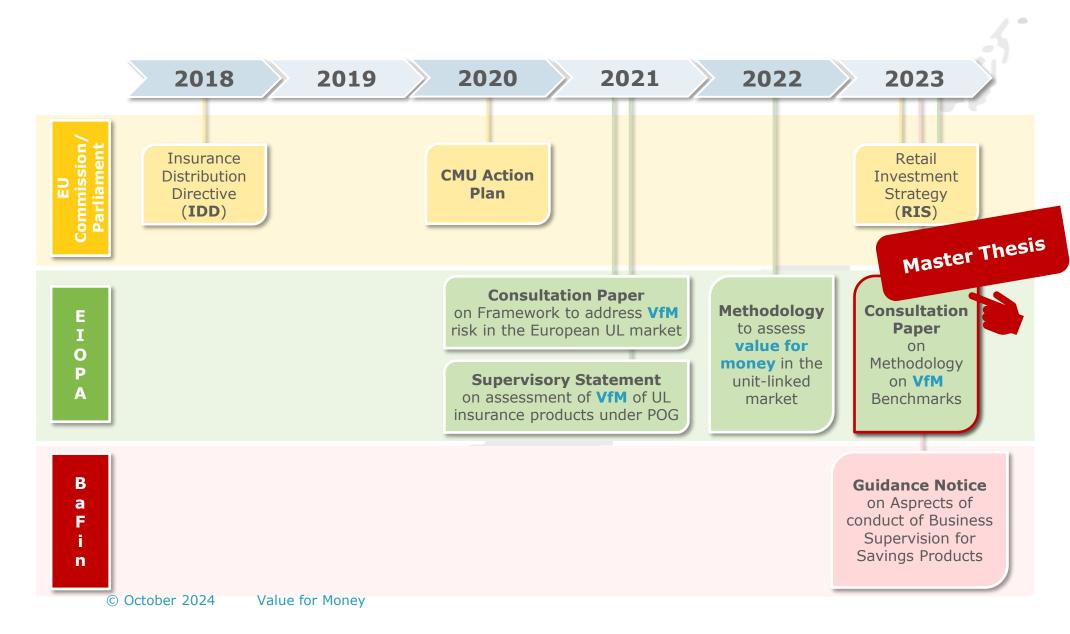
(EIOPA's) Understanding of Value for Money

**Consultation Paper on Methodology on Value for Money Benchmarks** (EIOPA)

**Value-for-Money-Indicators** 



## **Publications on the Topic of Value for Money**



Agenda

**Previous Publications and Context** 

(EIOPA's) Understanding of Value for Money

**Consultation Paper on Methodology on Value for Money Benchmarks** (EIOPA)

**Value-for-Money-Indicators** 



#### EIOPA's Definition

"EIOPA considers that products offer <u>value for money</u> where the <u>costs and charges are proportionate to</u> the <u>benefits</u> (i.e., investment performance, guarantees, coverage and services) to the identified target market and reasonable taking into account the expenses born by providers and in comparison to other comparable retail solutions on the market.

adequate costs

This also means that the **product delivers added value for the consumer** given the costs and expected returns and assuming a reasonable holding period. To this end, products are expected to be reviewed and tested.

added value for customer

For products with different components, such as unit-linked policies, value for money is expected from the product in its entirety – as well as from each individual component separately – taking into account the **target market's needs, objectives and characteristics** and all the costs and benefits, as well as possible costs and benefits of offering the different components singularly or as 'a package'. "

in line with target market

Consultation Paper on Framework to address value for money risk in the European unit-linked market (EIOPA 2021)



Vague Statement: "Product should add value"

How can we measure this Europe-wide consistently?



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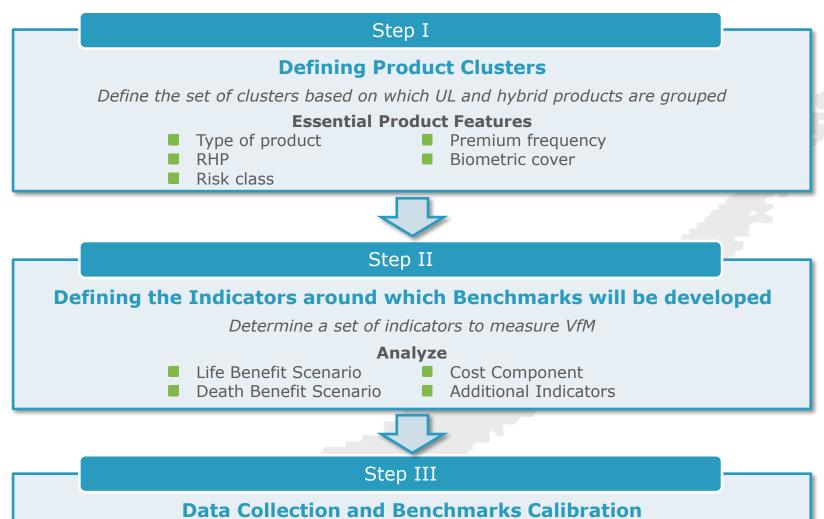
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## Consultation Paper on Methodology on Value for Money Benchmarks

EIOPA (2023)

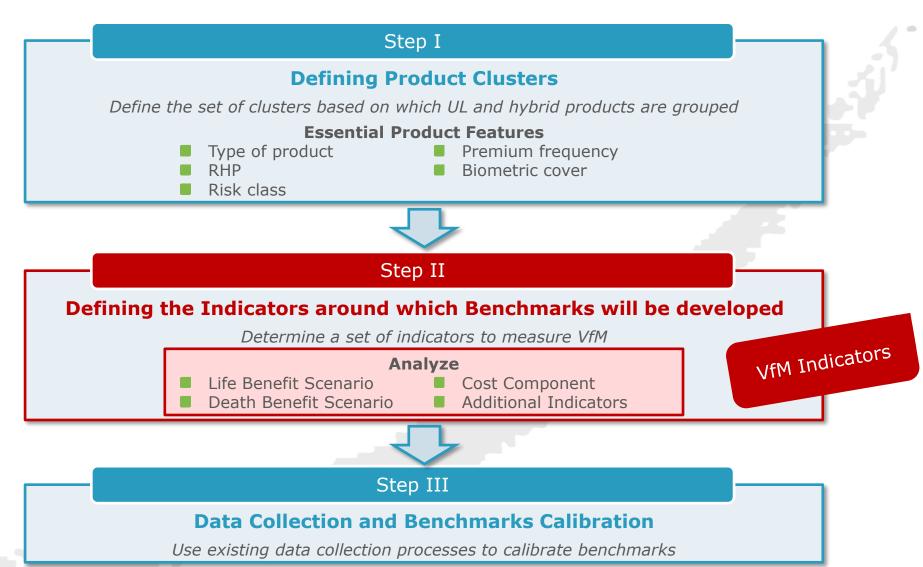


Use existing data collection processes to calibrate benchmarks



## **Consultation Paper on Methodology on Value for Money Benchmarks**

EIOPA (2023)





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**Consultation Paper on Methodology on Value for Money Benchmarks** (EIOPA)

**Value-for-Money-Indicators** 



## Value-for-Money-Indikatoren

Consultation Paper on Methodology on Value for Money Benchmarks (EIOPA)



## Value-for-Money-Indikatoren

Consultation Paper on Methodology on Value for Money Benchmarks (EIOPA)



## Value-for-Money-Indikatoren

Consultation Paper on Methodology on Value for Money Benchmarks (EIOPA)

#### **Idea of Analysis:**

- Step 1: Insurance Market
  - Unit-Linked Life Insurance
- Step 2: Value-for-Money Indicators
  - Calculation of indicators
  - Analyze
    - Deterministic Analysis
      - Constant fund development
      - Indicators over time, sensitivities
    - Stochastic Analysis
      - Simulated fund development
      - Probability distribution

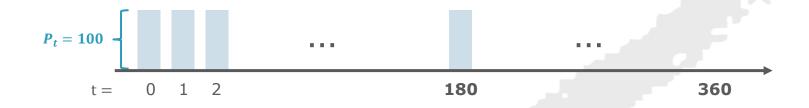


#### *Value-for-Money*-Indicators



#### **General Information:**

 $\begin{array}{ll} \text{Maturity} & 30 \text{ years (=RHP)} \\ \text{Regular Premium} & P_t = 100 \end{array}$ 





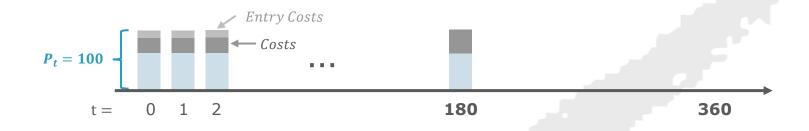
#### Value-for-Money-Indicators



#### **General Information:**

 $\begin{array}{ll} \text{Maturity} & 30 \text{ years (=RHP)} \\ \text{Regular Premium} & P_t = 100 \end{array}$ 

Costs: alpha, beta, kappa, gamma, fund costs





## Value-for-Money-Indicators



 $CAV_{RHP} = 65.006$ 

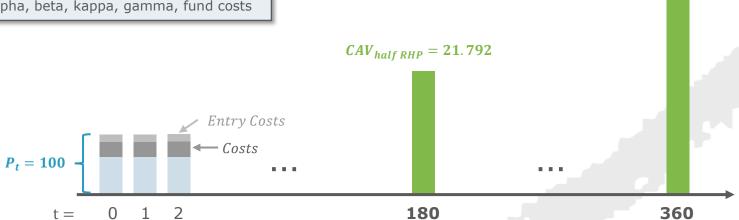
#### **General Information:**

30 years (=RHP) Maturity

 $P_{t} = 100$ Regular Premium

6% p.a. Gross Return

Costs: alpha, beta, kappa, gamma, fund costs





#### Value-for-Money-Indicators



 $CAV_{RHP} = 65.006$ 

#### **General Information:**

30 years (=RHP) Maturity

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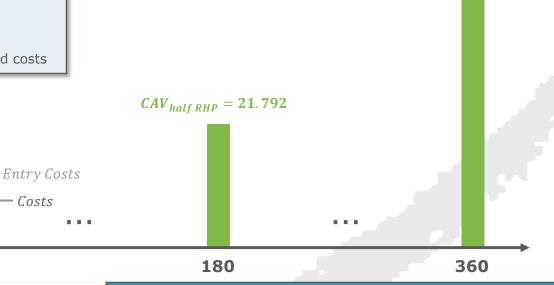
6% p.a. Gross Return

 $P_t = 100$ 

t =

Costs: alpha, beta, kappa, gamma, fund costs

0 1 2



Maturity	30Y
Premium	100€
Return	3%
Alpha	2,5%
Beta	5%
Карра	3€
Gamma	0,5%
Fund Costs	1%

**Base Case:** 

		Half RHP	RHP
Premiums Paid	$PP_t =$	18.000	36.000
Total Costs	$TC_t =$	4.473	15.183
Entry Costs	$EC_t =$	900	900
Current Account Value	$CAV_t =$	21.792	65.006
Surrender Value	$SV_t =$	21.292	65.006
Biometric Risk Benefit	$BRB_t =$	21.792	65.006



- Costs

## **Surrender Value by Premiums Paid**

*Value-for-Money*-Indicators

#### **Time Points and Expected Value**

- <1 at inception
- RHP
- Half RHP  $\blacksquare$   $\geq 1$  at RHP in the moderate case, assuming a long maturity already at half RHP

EI	O	P	A

		Half RHP	RHP
Premiums Paid	$PP_t =$	18.000	36.000
Total Costs	$TC_t =$	4.473	15.183
Entry Costs	$EC_t =$	900	900
Current Account Value	$CAV_t =$	21.792	65.006
Surrender Value	$SV_t =$	21.292	65.006
Biometric Risk Benefit	$BRB_t =$	21.792	65.006

#### (Naive) Interpretation

Expected benefit in relation to paid premium

Per 1€ of premium the consumer receives x€.

#### **Calculation (our interpretation!)**

Zum Zeitpunkt T:

$$\frac{SV_T}{\sum_{t=0}^{T-1} P_t}$$

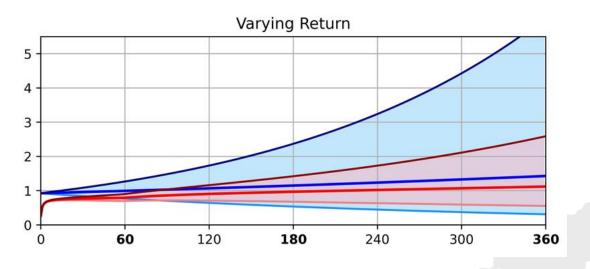
	Half RHP	RHP
$SV/PP = \frac{SV}{PP}$	$\frac{21.292}{18.000} \approx 1,18$	$\frac{65.006}{36.000} \approx 1,81$



## **Surrender Value by Premiums Paid**

Value-for-Money-Indicators

#### **Surrender Value by Premiums Paid over Time**





Calculation with				
lowest value (single premium)	— lowest value (regular premium)			
realistic value (single premium)	realistic value (regular premium)			
highest value (single premium)	highest value (regular premium)			

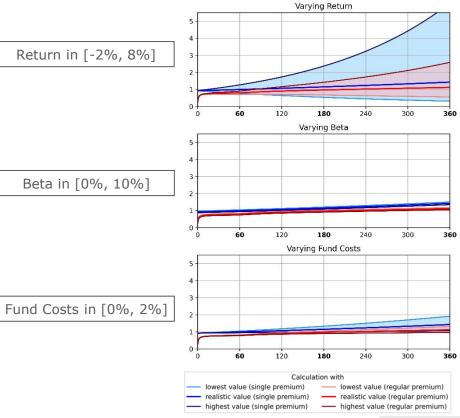


## **Surrender Value by Premiums Paid**

## Value-for-Money-Indicators

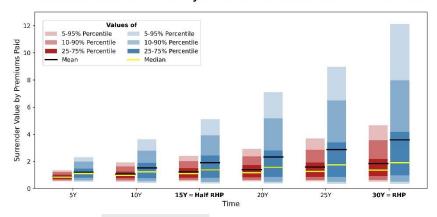
Realistic Scenario

#### Surrender Value by Premiums Paid over Time Varying different Parameters



#### Realistic Scenario

#### Percentiles of Surrender Value by Premiums Paid at different Points in Time





Indicator measures Return, not Costs!



Single premium

Regular premium

## **Total Costs Paid by Premiums Paid**

*Value-for-Money*-Indicators

#### ■ Time Points and Expected Value

- 5Y
- As low as possible
- Half RHP
- RHP

EIOPA

		Half RHP	RHP
Premiums Paid	$PP_t =$	18.000	36.000
Total Costs	$TC_t =$	4.473	15.183
Entry Costs	$EC_t =$	900	900
Current Account Value	$CAV_t =$	21.792	65.006
Surrender Value	$SV_t =$	21.292	65.006
Biometric Risk Benefit	$BRB_t =$	21.792	65.006

#### ■ (Naive) Interpretation

How expensive is the product?

Per 1€ of premium the costumer pays x€ of costs

#### Calculation

$$TC/PP = \frac{TC}{PP}$$
  $\frac{4.473 + 500}{18.000} \approx 0,276$   $\frac{15.183}{36.000} \approx 0,422$ 



## **Total Costs Paid by Premiums Paid**

Value-for-Money-Indicators

**Calculation Example:** Single Premium of 100.000€

Calculation Logic:  $CAV_{EOM} = CAV_{ROM} * (1 + p - fc)^{\frac{1}{12}}$ 

> p - Return fc - Fund Costs

1% Fund Costs, 6% Return p.a.

1% Fund Costs, 3% Return p.a.

1% Fund Costs, -2% Return p.a.

	Total Costs/ PP	CAV
10Y	0,124	162.889 €
20Y	0,324	265.330 €
30Y	0,650	432.194 €
40Y	1,182	703.999 €
50Y	2,048	1.146.740 €

Total Costs/ PP	CAV
0,109	121.899 €
0,241	148.595 €
0,402	181.136 €
0,598	220.804 €
0,837	269.159 €

Total Costs/ PP	CAV	
0,089	73.742 €	
0,154	54.379 €	
0,202	40.101 €	
0,237	29.571 €	
0,263	21.807 €	



- Naive Interpretation is misleading!
- Ceteris paribus: Lower Return → lower volume-dependent Costs → better Result for Indicator



*Value-for-Money*-Indicators

■ Time Points and Expected Value

- **5**Y
- As low as possible
- Half RHP
- RHP





#### ■ (Naive) Interpretation

- Constant reduction of return because of costs
- Difference of return before costs and return after costs
- All costs are translated to volume dependent costs p.a.

#### ■ Calculation (Idea)

Zum Zeitpunkt T:

p - Return

$$RIY = p - IRR$$

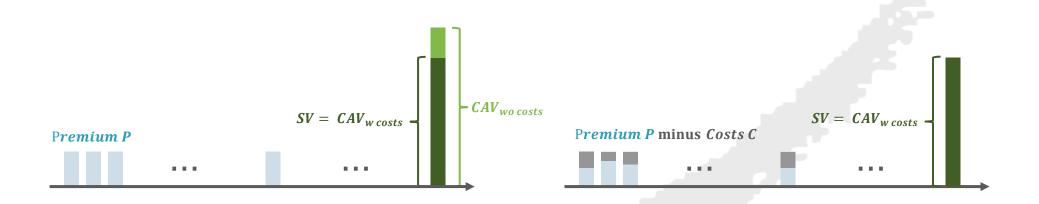
$$\sum_{t=0}^{12*T-1} P_t * (1+p-RIY)^{(12*T-t)/12} = SV_T$$



#### Calculation

**Method: Modified Benefit** 

#### **Method: Modified Premiums**



$$RIY_{mod\ Ben} = IRR \begin{pmatrix} -P \\ -P \\ ... \\ -P \\ CAV_{wo\ costs} \end{pmatrix} - IRR \begin{pmatrix} -P \\ -P \\ ... \\ -P \\ CAV_{w\ costs} \end{pmatrix}$$

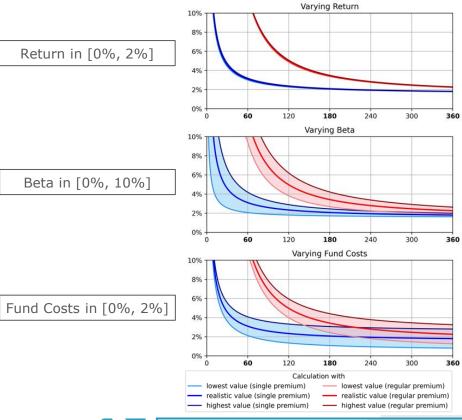
$$RIY_{mod\ Prem} = IRR \begin{pmatrix} -(P-C) \\ -(P-C) \\ ... \\ -(P-C) \\ CAV_{w\ costs} \end{pmatrix} - IRR \begin{pmatrix} -P \\ -P \\ ... \\ -P \\ CAV_{w\ costs} \end{pmatrix}$$

$$RIY_{mod\ Prem} = IRR \begin{pmatrix} -(P-C) \\ -(P-C) \\ \dots \\ -(P-C) \\ CAV_{w\ costs} \end{pmatrix} - IRR \begin{pmatrix} -P \\ -P \\ \dots \\ -P \\ CAV_{w\ costs} \end{pmatrix}$$

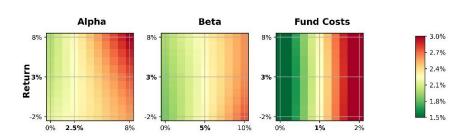


#### **Deterministic Analysis**

#### **RIY over Time**



Regular Premium, Realistic Scenario
RIY (modified Benefit) at RHP
Varying different Parameters





In the deterministic case, both methods lead to the same result! RIY is mainly independent of Return

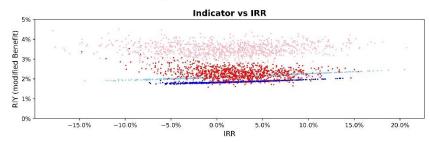


#### Stochastic Analysis

#### **Method: Modified Benefit**

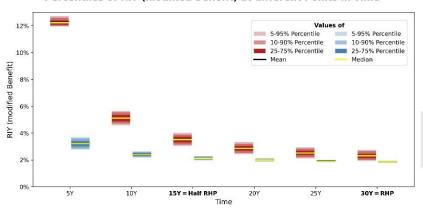
#### Realistic Scenario

#### Scatter Plot of RIY (modified Benefit) for different Returns



#### Realistic Scenario

#### Percentiles of RIY (modified Benefit) at different Points in Time



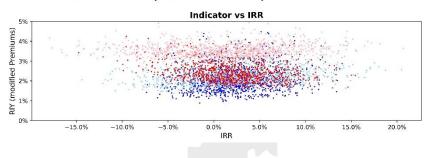
#### Values at

- RHP (single premium)
- Half RHP (single premium)
- RHP (regular premium)
  Half RHP (regular premium)

#### **Method: Modified Premiums**

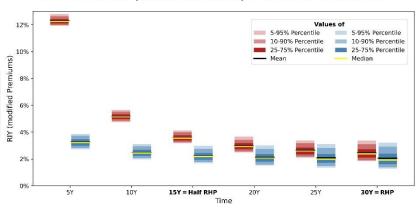
#### Realistic Scenario

#### Scatter Plot of RIY (modified Premiums) for different Returns



Realistic Scenario

#### Percentiles of RIY (modified Premiums) at different Points in Time

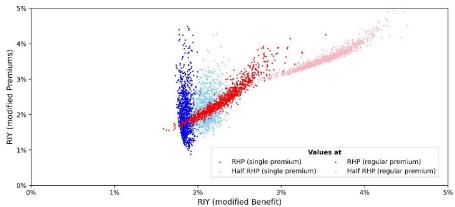




#### Stochastic Analysis

#### Comparison of Different Methods

## Realistic Scenario Scatter Plot of RIY (modified Benefit) against RIY (modified Premiums) at RHP and Half RHP

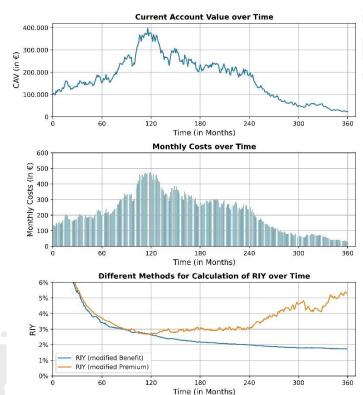


#### Values at

- RHP (single premium)
- RHP (regular premium)
- Half RHP (single premium)
- Half RHP (regular premium)

Single Payment, Realistic Costs

#### Comparison of different Methods for Calculation of RIY





In the stochastic case, both methods lead to very different results!



# Thank you for your attention!



#### Stochastic Analysis

RIY (modified Benefit)

#### **Method: Modified Benefit**

Scatter Plot of RIY (modified Benefit) for different Returns
Indicator vs IRR

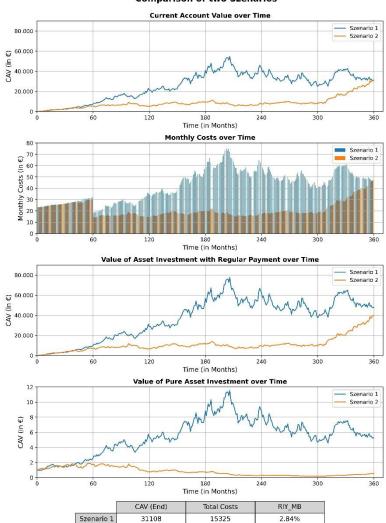
-15.0% -10.0% -5.0% 0.0% 5.0% 10.0% 15.0% 20.0%

Realistic Scenario



Regular Payment, Realistic Szenario

#### Comparison of two Szenarios



7681

1.59%

Szenario 2

31291

## Stochastic Analysis



	Asset Investment		Acco	ount of Custo	omer
Time	Asset Course	Return	Premium	CAV BOY	CAV EOY
0	100	0%	100	100	حر 100
1	100	3%	0	50	51,5
2	103		0	51,5	

mod Premium	Approximation		
CF	Shares invested	Return	
-100	1	0%	
50	0,5	3%	
51,5			

mod Benefit	Approximation	
CF	Shares	Return
CF	invested	netuiii
-100	1	0%
0	1	3%
103		

Return
before
Costs:

Return before costs

1,49% weighted average 1,50%

